

HAT

10/3/16

Chapter 4 Board Review

Write the equation of the parabola that passes through (2, -1) and has a maximum at (-3, 4).

$$y = -\frac{1}{5}(x+3)^2 + 4$$

Write the equation of the parabola that has x-intercepts of $(-2, 0)$ and $(5, 0)$ and a y-intercept of $(0, -8)$.

$$y = \frac{4}{5}(x+2)(x-6)$$

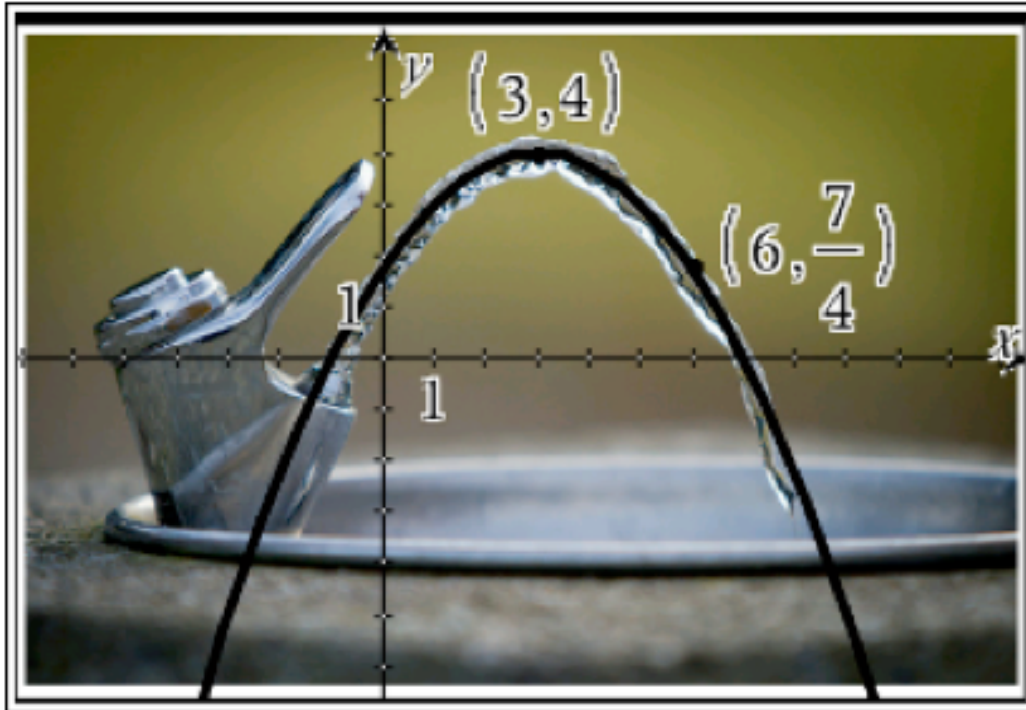
Simplify.

$$\frac{(4+2i)^2}{3-i} - (8i-3)$$

$$5-2i$$

$$f(x) = 6x^2 + 10x - 4$$

Mrs. Long fit a parabola to the stream of water from this drinking fountain.



Write the equation of the parabola in all three forms.

Vertex: $y = -\frac{1}{4}(x-3)^2 + 4$

Standard: $y = -\frac{1}{4}(x^2 - 6x + 9) + 4$

$$y = -\frac{1}{4}x^2 + \frac{3}{2}x - \frac{9}{4} + 4 \frac{16}{4}$$

$y = -\frac{1}{4}x^2 + \frac{3}{2}x + \frac{7}{4}$

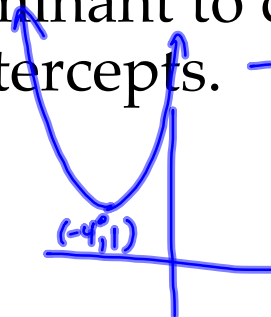
$$y = -\frac{1}{4}(x^2 - 6x - 7)$$

$y = -\frac{1}{4}(x-7)(x+1)$

Given $f(x) = x^2 + 8x + 17$

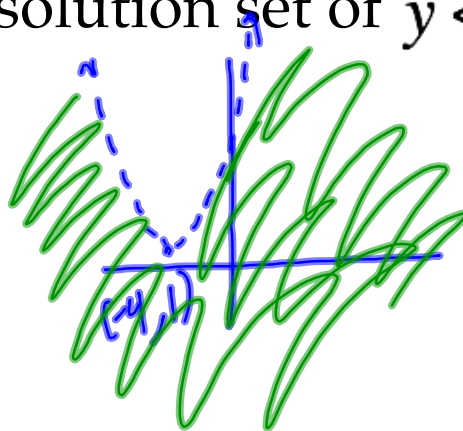
- a. Find the discriminant to determine the number of x-intercepts. -4 2 complex solutions

- b. Graph $f(x)$



- c. Solve $x^2 + 8x + 17 = 0$ $x = -4 \pm i$

- d. Show the solution set of $y < x^2 + 8x + 17$



i

Graph. Label key features.

$$f(x) = 3x^2 + 12x - 8$$

$$y = \frac{1}{2}(x+2)^2 - 8$$

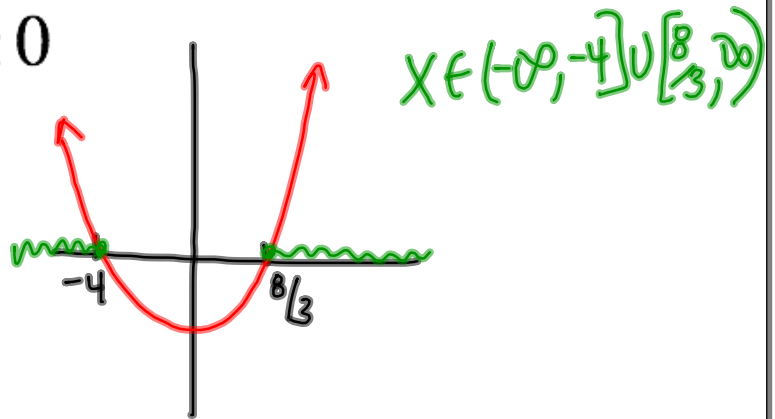
Factor and solve the inequality.

a. $3x^2 + 4x - 32 \geq 0$

$$(3x - 8)(x + 4)$$

$$x\text{-int: } \left(\frac{8}{3}, 0\right)$$

$$(-4, 0)$$



b. $9x^2 - 15x \leq 6$

$$9x^2 - 15x - 6 \leq 0$$

$$3(3x^2 - 5x - 2) \leq 0$$

$$3(3x + 1)(x - 2)$$

$$x\text{-int: } \left(-\frac{1}{3}, 0\right)$$

$$(2, 0)$$



$$f(x) = 6x^2 + 10x - 4$$

Factor to find the x intercepts.

$$f(x) = 2(3x^2 + 5x - 2)$$

$$f(x) = 2(3x - 1)(x + 2)$$

X-int: $(\frac{1}{3}, 0)$ & $(-2, 0)$

Complete the square to write in vertex form.

Solve

$$x = \frac{1}{3}$$

$$x = -2$$

$$6x^2 + 10x - 4 = 0$$

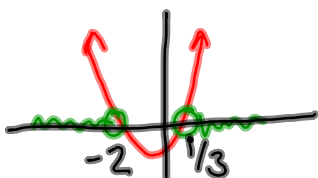
$$6x^2 + 10x - 4 > 0$$

$$y < 6x^2 + 10x - 4$$

$$f(x) = 6(x^2 + \frac{5}{3}x + \frac{25}{36}) - 4 - \frac{25}{6}$$

$$(x + \frac{5}{6})(x + \frac{5}{6})$$

$$f(x) = 6(x + \frac{5}{6})^2 - \frac{49}{6}$$



$$x \in (-\infty, -2) \cup (\frac{1}{3}, \infty)$$

